

# Particle Physics based on “focal point” representation of particles.

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## **Abstract**

The present work is based on findings of the model “Emission & Regeneration” Unified Field Theory. The model represents subatomic particles as focal points of rays of Fundamental Particles (FPs) that move from infinite to infinite. FPs are emitted by the focal point and at the same time regenerate it. Interactions between subatomic particles are the product of the interactions of the angular momenta of the FPs. The interaction between two charged subatomic particles tend to zero for the distance between them tending to zero, allowing to place the zero of the potential energy at the distance zero. Atomic nuclei can thus be represented as swarms of electrons and positrons that neither attract nor repel each other. As atomic nuclei are composed of nucleons which are composed of quarks, the quarks can also be seen as swarms of electrons and positrons. This allows a completely new interpretation of the interactions between quarks and the corresponding energy states.

## **1 Introduction.**

Subatomic particles (SPs) are represented as focal points of rays of Fundamental Particles (FPs). FPs are emitted by the focal point and at the same time regenerate it and are defined as follows.

The total energy of a SP with constant  $v \neq c$  is

$$E = \sqrt{E_o^2 + E_p^2} \quad E_o = m c^2 \quad E_p = p c \quad p = \frac{m v}{\sqrt{1 - \frac{v^2}{c^2}}} \quad (1)$$

The total energy  $E = E_e$  is split in

$$E_e = E_s + E_n \quad \text{with} \quad E_s = \frac{E_o^2}{\sqrt{E_o^2 + E_p^2}} \quad \text{and} \quad E_n = \frac{E_p^2}{\sqrt{E_o^2 + E_p^2}} \quad (2)$$

With the help of the distribution equation

$$d\kappa = \frac{1}{2} \frac{r_o}{r^2} dr \sin \varphi d\varphi \frac{d\gamma}{2\pi} \quad (3)$$

differential emitted  $dE_e$  and regenerating  $dE_s$  and  $dE_n$  energies are defined

$$dE_e = E_e d\kappa = \nu J_e \quad dE_s = E_s d\kappa = \nu J_s \quad dE_n = E_n d\kappa = \nu J_n \quad (4)$$

The distribution equation  $d\kappa$  gives the part of the total energy of a SP moving with  $v \neq c$  contained in the differential volume  $dV = dr r d\varphi r \sin \varphi d\gamma$ .

The concept is shown in Fig. 1 where *BSP* means Basic Subatomic Particles and are electrons and positrons.

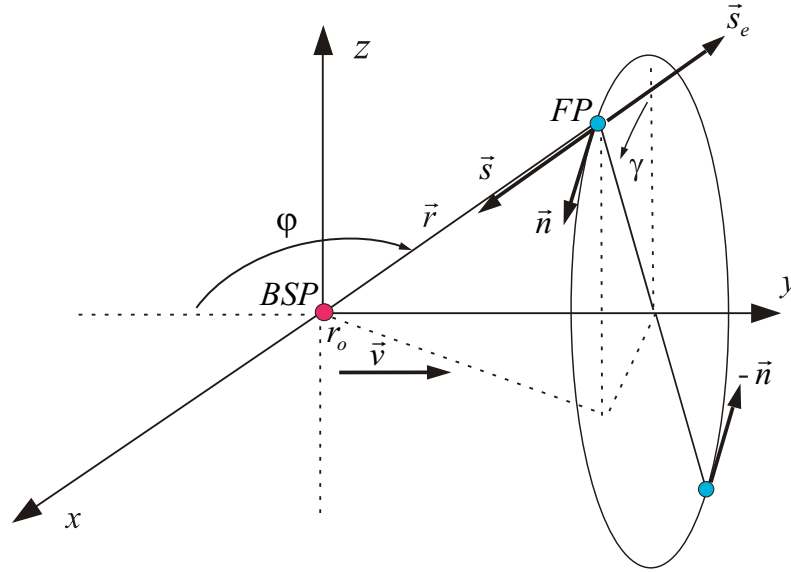


Figure 1: Unit vector  $\bar{s}_e$  for an emitted FP and unit vectors  $\bar{s}$  and  $\bar{n}$  for a regenerating FP of a BSP moving with  $v \neq c$

The part  $E_s$  of the total relativistic energy tends to zero for the speed  $v$  tending to  $c$  and defines the longitudinal angular momentum  $J_s$  of the FPs (4).

The part  $E_n$  of the total relativistic energy is zero for  $v = 0$  and tends to infinity for the speed  $v$  tending to  $c$  and defines the transversal angular momentum  $J_n$  of the FPs (4). The direction of  $\bar{J}_n$  is defined by the right screw in the direction of the speed  $\bar{v}$  and is independent of the charge of the BSP.

The energy of opposed transversal angular momenta  $J_n$  of two regenerating FPs that arrive at the focal point is transformed into linear momenta as shown in Fig. 2.

Linear momentum out of opposed angular momenta

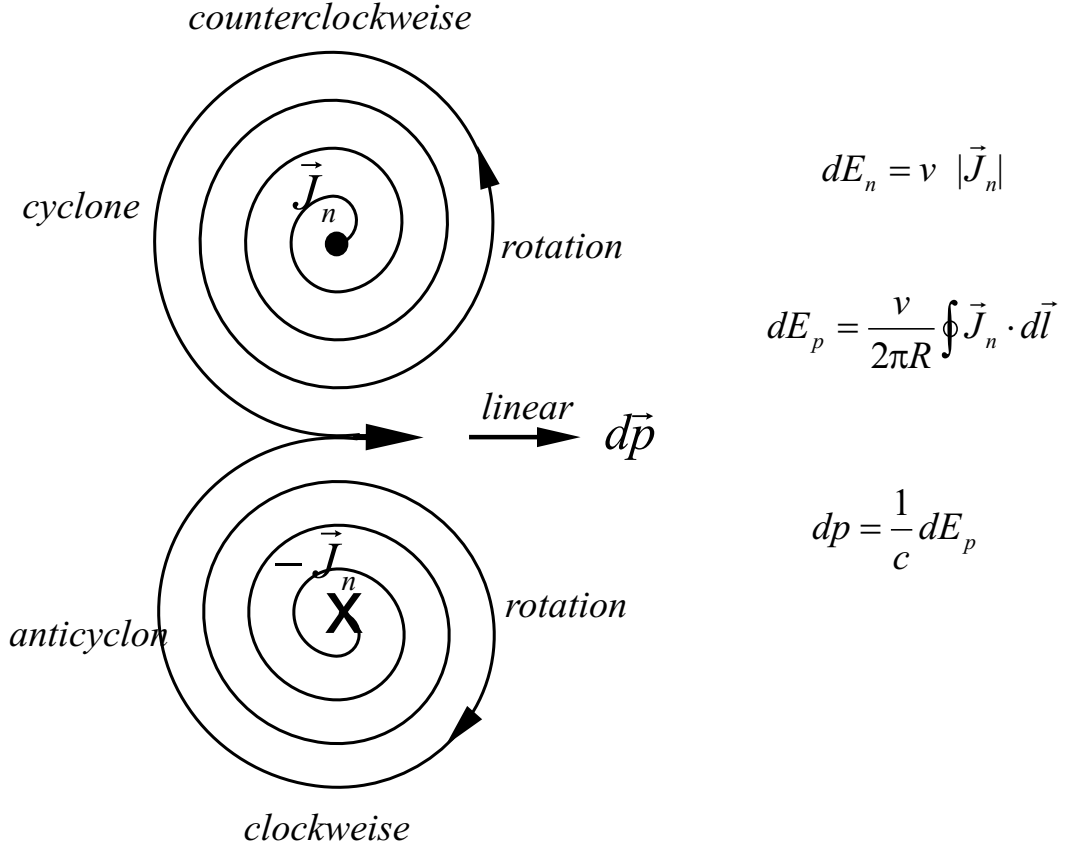


Figure 2: Generation of linear momentum out of opposed angular momenta

The interaction between an electron and positron is the product of the interactions of the angular momenta of their Fundamental Particles (FPs).

The analysis of linear momentum between electrons and positrons according the “E&R” model is shown in Fig. 3. Five regions can be identified along the distance  $d/r_o = \gamma$ , where  $r_o = 1.0 \cdot 10^{-16} m$  is the radius of the electron or positron.

1. From  $0 \ll \gamma \ll 0.1$  where  $p_{stat} = 0$
2. From  $0.1 \ll \gamma \ll 1.8$  where  $p_{stat} \propto d^2$
3. From  $1.8 \ll \gamma \ll 2.1$  where  $p_{stat} \approx constant$

4. From  $2.1 \ll \gamma \ll 518$  where  $p_{stat} \propto \frac{1}{d}$
5. From  $518 \ll \gamma \ll \infty$  where  $p_{stat} \propto \frac{1}{d^2}$  (Coulomb)

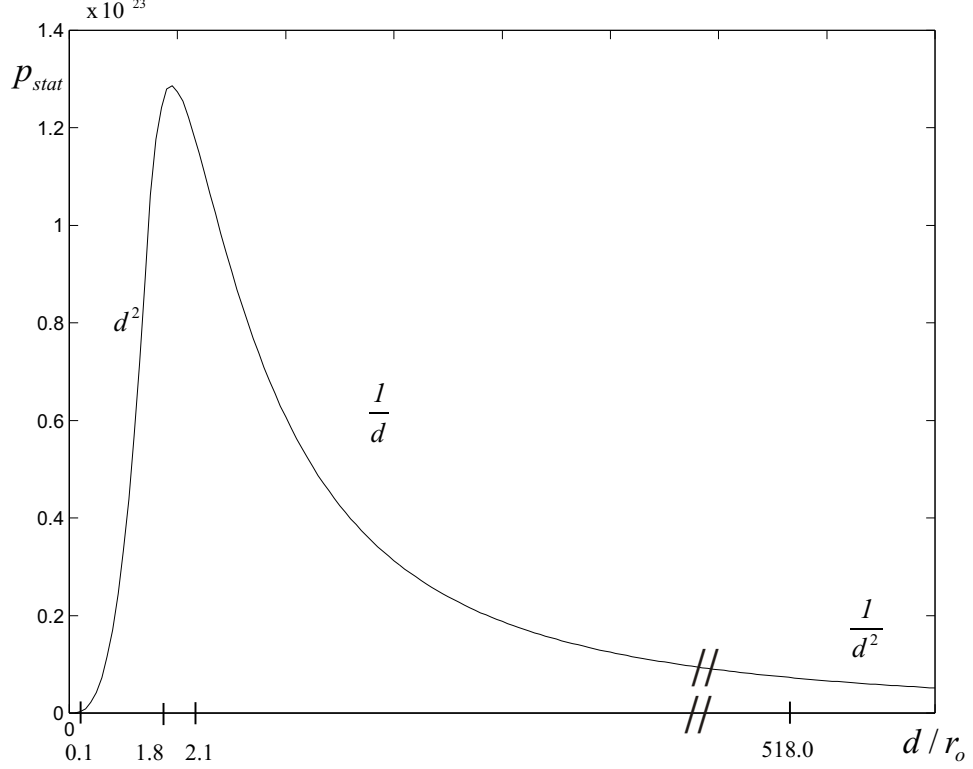


Figure 3: Linear momentum  $p_{stat}$  as function of  $\gamma = d/r_o$  between an electron and positron with maximum at  $\gamma = 2$

Fig. 3 shows the linear momentum  $p_{stat}$  between an electron and positron as a function of the distance  $d$ . The force is

$$F_{stat} = \frac{\Delta p}{\Delta t} = \frac{p_{stat} - p_2}{\Delta t} = \frac{p_{stat}}{\Delta t} \quad p_2 = 0 \quad \text{and} \quad \Delta t = 5.42713 \cdot 10^{-28} \text{ s} \quad (5)$$

The curve was calculated for  $r_o = 1.0 \cdot 10^{-16} \text{ m}$  and with  $K = 5.42713 \cdot 10^4 \text{ s/m}^2$  we get  $\Delta t = K r_o^2 = 5.42713 \cdot 10^{-28} \text{ s}$  constant for all distances  $d$ .

Fig. 4 shows a cut trough an atom identifying the five zones.

1. Zone 1 represents the core of an atomic nucleus where electrons and positrons neither attract nor repel each other. They build a swarm of electrons and positrons.
2. Zone 2 is the zone from where electrons and positrons that have migrated out of zone 1 are reintegrated to zone 1 or expelled out of the atom.

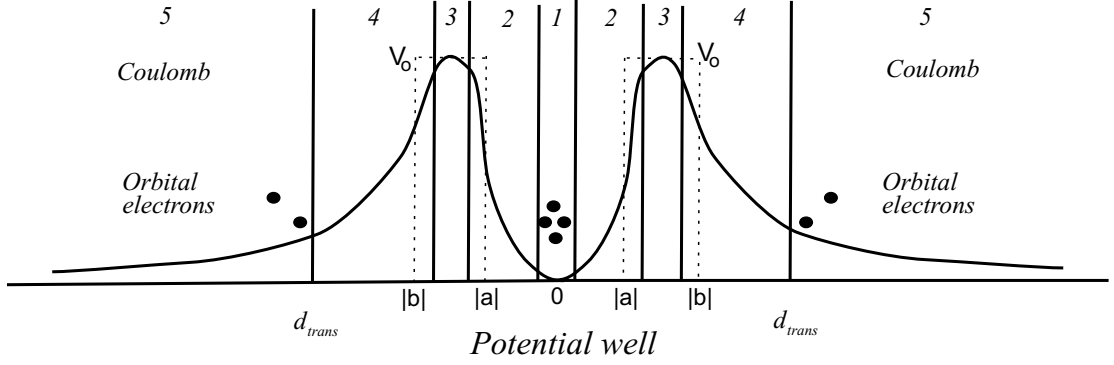


Figure 4: Potential well between charged particles

3. Zone 3 shows the high of the momentum wall  $p_{stat}$  through which the expelled electrons and positrons have tunneled.
4. Zone 4 is a transition zone to the Coulomb zone.
5. Zone 5 is the Coulomb zone that extends up to infinity.

Fig. 5 shows potential energies corresponding to different theoretical models. All potential energies from existing models are not defined for the distance between charged particles tending to zero, what forces to define the potential energy as negative and to place the zero at infinite.

The potential energy of the present approach is defined for the distance between charged particles tending to zero allowing to place the the origin of the potential energy at  $d = 0$ .

The potential is given by

$$V(d) = \int_0^d F_{stat} \delta d = \frac{1}{\Delta t} \int_0^d p_{stat} \delta d \quad \text{for } d \rightarrow \infty \text{ we get } \approx 1.0 \text{ GeV} \quad (6)$$

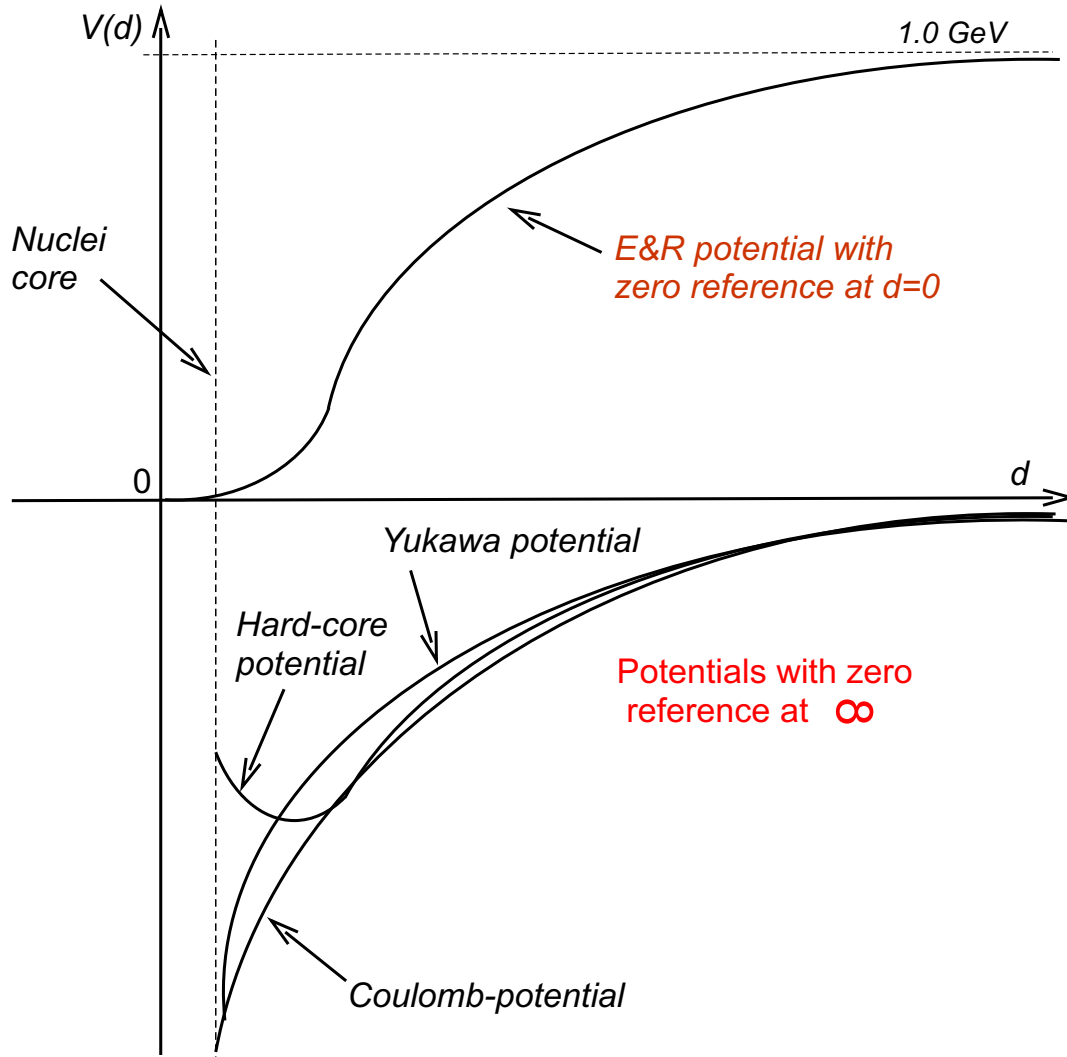


Figure 5: Comparison of potential energies between charged particles

## 2 Electron and positron compensation and annihilation.

The representation of electrons and positrons as focal points of rays of FPs, where the energy is stored in the angular momenta of their FPs, explains the compensation and annihilation of electrons and positrons as follows: (see also Fig. 1)

Fig. 6 shows the electron positron compensation. When the electron shown at *a*) and the positron shown at *b*) are moved slowly together, they compensate each other for the interactions with other external charged particles. At *c*) the compensation is shown as the result of the compensation of the longitudinal angular momenta  $J_s$  of all their FPs.

## *Compensation of angular momenta*

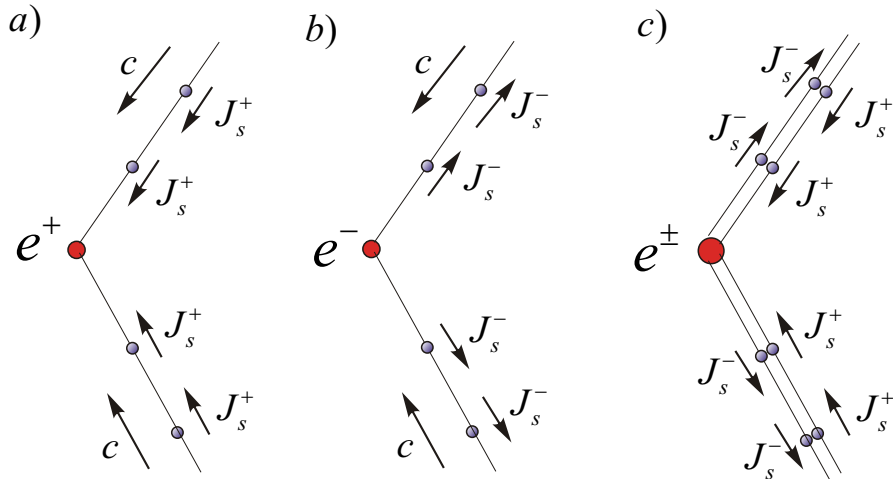


Figure 6: Electron positron compensation

## *Electron positron annihilation*

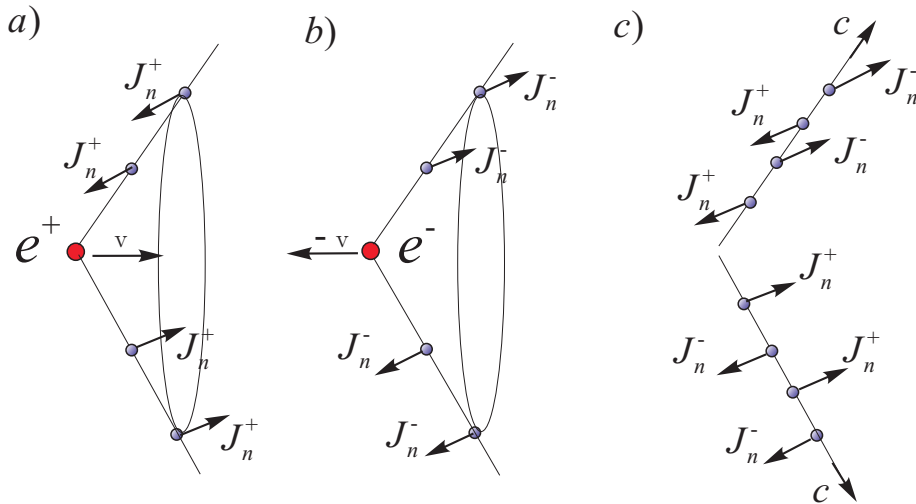


Figure 7: Electron positron annihilation

Fig. 7 shows the annihilation of an electron with an positron. At the regenerating FPs of moving electrons or positrons transversal angular momenta  $J_n$  are generated as shown at a) and b). When the electron and positron collide, trains of pairs of FPs with opposed transversal angular momenta (photons) are expelled with the speed “ c “, as shown at c). Also individual pairs of FPs with opposed transversal angular momenta (neutrinos) may be expelled with the speed  $c$ . The photons and neutrinos are entities where the sum of their angular momenta is equal zero and therefore they can become independent entities of the focal point.

### 3 Differences between the Standard and the E & R Models in Particle Physics.

An important difference between the two models we have in particle physics. The concept is shown in Fig.8

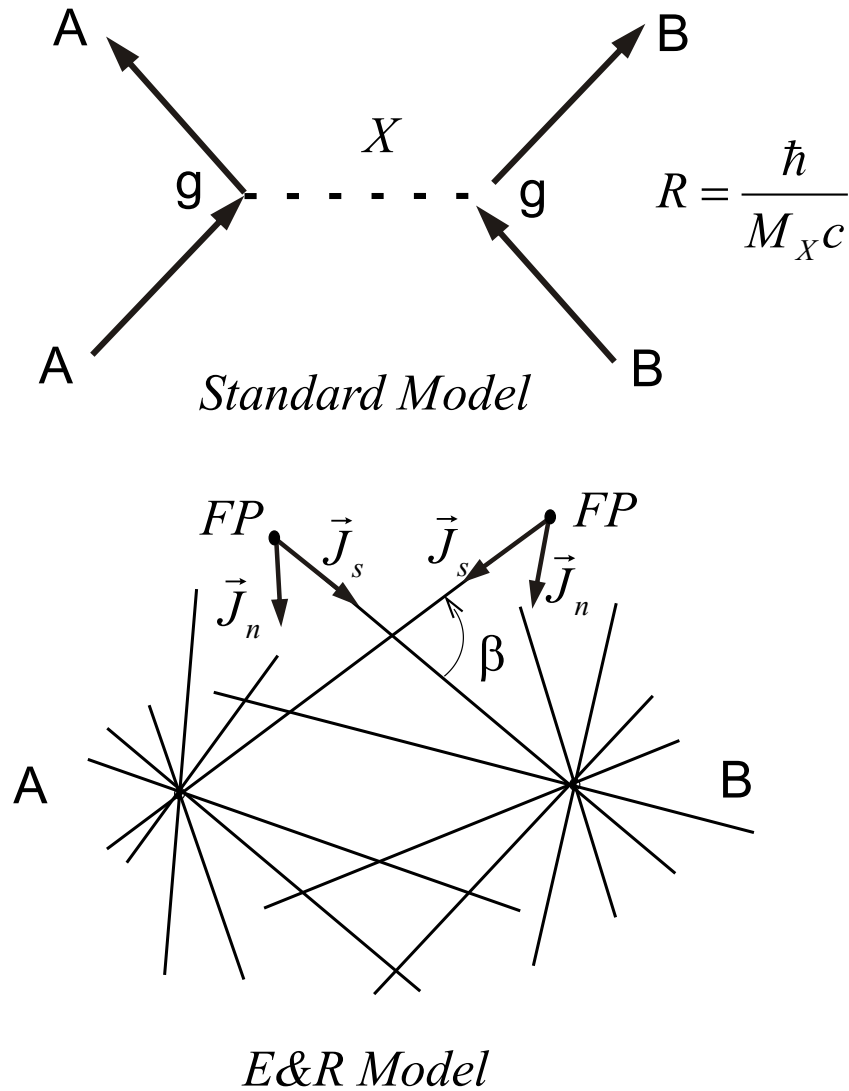


Figure 8: Differences between the Standard and the E & R Models

The SM defines carrier particles  $X$  for the interaction between particles  $A$  and  $B$  and leads to energy violation during the time  $\hbar/\Delta E$ . The range  $R$  of these carrier particles defines the distance over which the interaction can take place and is given by

$$R = \frac{\hbar}{M_X c} \quad (7)$$

where  $M_X$  is the mass of the carrier particle with the coupling strength  $g$  to the



particles  $A$  and  $B$ . For electromagnetic interactions the carrier particles are the photons with  $M_X = 0$ , the range is  $R = \infty$ . For the weak interactions the carrier particles are the  $W$  and  $Z$  bosons with masses in the order of  $80 - 90 \text{ GeV}/c^2$  corresponding to a range of  $2 \cdot 10^{-3} \text{ fm}$ . For the strong and gravitation interactions the carrier particles are the gluons and gravitons respectively with  $M_X = 0$  and range  $R = \infty$ .

The  $E$  &  $R$  model has no carrier. The particles  $A$  and  $B$  are formed by rays of  $FPS$  that go from  $\infty$  to  $\infty$  through a point in space which is called “Focal Point”.  $FPS$  are continuously emitted from the Focal Point and  $FPS$  continuously regenerate the Focal Point. The regenerating  $FPS$  are the  $FPS$  emitted by other Focal Points in space. The particles  $A$  and  $B$  are continuously interacting through their  $FPS$ , independent of the distance between them. There is no difference between subatomic particles and their  $FPS$  which are the constituents of subatomic particles.

$FPS$  have no rest mass and are emitted with the speed  $c$  or  $\infty$  relative to the Focal Point. They have longitudinal and transversal angular momenta and their interaction is given by the cross product of their angular momenta, cross product which is proportional to  $\sin \beta$ . To get the total force between the particles  $A$  and  $B$ , the integration over the whole space of all the interactions of their  $FPS$  is required.

All interactions are **electromagnetic interactions** and are generated out of the combinations of the interactions of the longitudinal and transversal angular momenta of the  $FPS$ .

The **strong interaction** is explained with the zero electromagnetic force between electrons and positrons, which are the constituents of nucleons, for the distance between  $A$  and  $B$  tending to zero. No force is required to hold nucleons together.

**Weak interactions** is an electromagnetic interaction between migrated electrons or positrons that interact with the remaining electrons and positrons of the nuclei core. The small electromagnetic force is explained with the small distances between  $A$  and  $B$ , force which is proportional to the cross product which is proportional to  $\sin \beta$ . See Fig. 8.

**Gravitational interactions** are the result of electromagnetic interactions between electrons and positrons that have migrated slowly out of their nuclei and are then reintegrated with high speed.

## 4 Mass and charge in the E & R Model

The SM defines mass and charge as different physical characteristics, although it cannot explain what charge is. It defines particles like the neutrons having mass but no charge.

The E & R Model defines mass and charge as physical characteristics that are intrinsic to particles and cannot be separated. The charge of an electron and positron

is defined by the sign of the longitudinal angular momentum of emitted *FPs*. Positive rotation in moving direction corresponds to a positive charge and negative rotation to a negative charge. Neutrons are composed of equal numbers of electrons and positrons so that their longitudinal angular momenta of emitted *FPs* compensate, resulting in an effective zero charge.

A mass unit is associated with a charge unit. To the mass  $9.1094 \cdot 10^{-31}$  kg of a positron or electron corresponds a charge of  $\pm 1.6022 \cdot 10^{-19}$  C.

For complex particles that are formed by more than one electron or positron we have for the Coulomb force

$$F = 2.307078 \cdot 10^{-28} \frac{\Delta n_1 \cdot \Delta n_2}{d^2} N \quad (8)$$

The charge  $Q$  of the Coulomb law is replaced by the expression  $\Delta n = n^+ - n^-$  which gives the difference between the **constituent** numbers of positive and negative particles (positrons and electrons) that form the complex particle. As the  $n_i$  are integer numbers, the Coulomb force is quantified.

The expression  $\Delta n = n^+ - n^-$  corresponds to the nuclear charge number or atomic number  $Z$ .

$$\Delta n = n^+ - n^- = Z \quad (9)$$

As examples we have for the proton  $n^+ = 919$  and  $n^- = 918$  with a binding Energy of  $E_{B_{prot}} = -6.9489 \cdot 10^{-14}$  J =  $-0.43371$  MeV, and for the neutron  $n^+ = 919$  and  $n^- = 919$  with a binding Energy of  $E_{B_{neutr}} = 5.59743 \cdot 10^{-14}$  J =  $0.34936$  MeV.

## 5 Quarks composed of electrons and positrons.

The existence of Quarks were first inferred from the study of hadron spectroscopy. Inferred means that they were reconstructed from the final measured products obtained after collisions of particles. The final products are neutrons, protons, pions, muons, electrons, positrons, photons, and neutrinos. As neutrons, protons, pions and muons are composed of electrons and positrons according to the *E&R* model, the real final products are electrons, positrons, photons and neutrinos. And as also according to the *E&R* model the photon is a sequence of neutrinos, the final products are reduced to electrons, positrons and neutrinos.

The concept is shown in Fig: 9

To explain the interpretation given with the model *E&R* UFT we calculate an example with the proton.

**Example:** The proton has a mass of  $938.2723$  MeV/ $c^2$ . With the mass of an

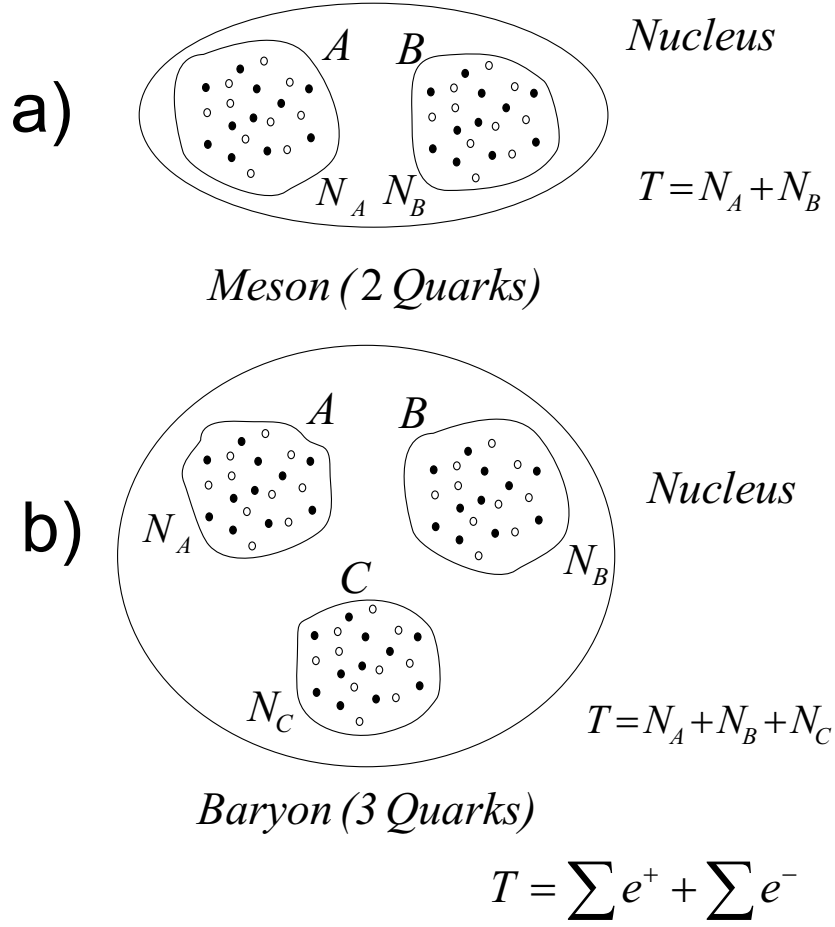


Figure 9: Nucleus composed of quarks.

electron or positron of  $0.511 \text{ MeV}/c^2$  we get  $\approx 1837.00$  electrons and positrons from which  $n^+ = 919$  are positrons and  $n^- = 918$  electrons. The mass of the proton  $m_p$  is equal 1837 times the mass of an electron plus the binding energy.

$$1837 m_e + m_{binding} = m_p \quad (10)$$

The total number of electrons and positrons at the proton are

$$T = N_A + N_B + N_C = n^+ + n^- = 1837 \quad (11)$$

where  $N_i$  is the total number of electrons and positrons at Quark  $i$ .

As the proton is a baryon it has three quarks with the electric charge  $uud$ . With

the SM we get the charge of the proton adding the fractional charges

$$u + u - d = \frac{2}{3} + \frac{2}{3} - \frac{1}{3} = 1 \quad (12)$$

Charges that are a fraction of the charge of an electron or positron violate the charge conservation principle.

The finding of the “ $E\&R$ ” model that electrons and positrons neither attract nor repel each other when the distance between them tend to zero, allows to interpret the charge numbers  $Q$  of quarks as the relative charge

$$u = \left| \frac{N_i^+ - N_i^-}{N_i} \right| \quad \text{and} \quad d = - \left| \frac{N_i^+ - N_i^-}{N_i} \right| \quad (13)$$

where  $N_i^+$  and  $N_i^-$  are the number of positrons and electrons at the quark  $i$  and  $N_i = N_i^+ + N_i^-$  and  $\Delta N_i = N_i^+ - N_i^-$ .

As the sum of the differences between electrons and positrons at each quark must give the charge of the proton we write

$$u N_A + u N_B + d N_C = \frac{2}{3}N_A + \frac{2}{3}N_B - \frac{1}{3}N_C = 1 \quad (14)$$

With equations (11) and (14) we can calculate  $N_A$ ,  $N_B$  and  $N_C$  if we know one of them. If we fix for the moment arbitrarily  $N_A = 499$  we get

$$N_A = 499 \quad N_B = 114.33 \quad N_C = 1223.66 \quad (15)$$

We should get integer numbers, but this is irrelevant for the moment to understand the new interpretation and continue with the obtained results and get

$$\Delta N_A = \frac{2}{3}N_A = 332.66 \quad \Delta N_B = \frac{2}{3}N_B = 76.22 \quad \Delta N_C = -\frac{1}{3}N_C = -407.886 \quad (16)$$

or

$$\Delta N_A + \Delta N_B + \Delta N_C = 332.66 + 76.22 - 407.886 = 0.994 \quad (17)$$

The **rest masses** of the quarks are, with  $m_e$  the mass of the electron

$$m_A = N_A m_e = 4.54558 \cdot 10^{-28} \text{ kg} \quad m_B = N_B m_e = 1.03847 \cdot 10^{-28} \text{ kg} \quad (18)$$

$$m_C = N_C m_e = 1.11498 \cdot 10^{-27} \text{ kg} \quad (19)$$

**Note:** The rest masses  $m_A$  and  $m_B$  which belong to the same type  $u$  of quarks of the proton are not equal.

As chemical elements are composed of protons and neutrons, the atomic number  $Z$  of an element can be expressed as the sum of the  $\Delta N$  of its quark constituents.

$$Z = \sum_i \Delta N_i \quad (20)$$

**Note:** All hadrons have a total charge equal  $-1, 0$  or  $1$  while chemical elements have charges  $Z \geq 1$ . Quarks play a similar function at hadrons as protons and neutrons play at chemical elements.

Now we come back to the fractional numbers of  $N$  and  $\Delta N$ . If we round the fractional numbers slightly to get integer numbers as follows

$$N_A = 499 \quad N_B = 114 \quad N_C = 1224 \quad \text{to get} \quad T = 1837 \quad (21)$$

$$\Delta N_A = 333 \quad \Delta N_B = 76 \quad \Delta N_C = 408 \quad \text{to get} \quad \sum \Delta N = 1 \quad (22)$$

we get for the relative charge of the quarks

$$u_A = \frac{\Delta N_A}{N_A} = 0,6673 \quad u_B = \frac{\Delta N_B}{N_B} = 0.6666 = \quad d_C = \frac{\Delta N_C}{N_C} = 0.33333 = \quad (23)$$

and if we compare with  $\frac{2}{3} = 0.6666666$  and  $\frac{1}{3} = 0.333333$  we see that they are in the error range of measurements.

### More examples:

For the  $\pi^+$  **particle** we have that  $n^+ = 137$  and  $n^- = 136$  and that it is an  $u\bar{d}$  particle.

$$T = N_A + N_B = n^+ + n^- = 273 \quad (24)$$

$$u - \bar{d} = \frac{2}{3} - \frac{1}{3} = 1 \quad (25)$$

With the equations

$$\frac{2}{3} N_A - \frac{1}{3} N_B = 1 \quad \text{and} \quad N_A + N_B = 273 \quad (26)$$

we get

$$N_A = 92 \quad \Delta N_A = u N_A = 61.333 \quad (27)$$

$$N_B = 181 \quad \Delta N_B = d N_B = -60.333 \quad (28)$$

$$\Delta N_A + \Delta N_B = 61.333 - 60.333 = 1 \quad (29)$$

The **rest masses** of the quarks are

$$m_A = N_A m_e = 8.3806 \cdot 10^{-29} \text{ kg} \quad m_B = N_B m_e = 1.6488 \cdot 10^{-28} \text{ kg} \quad (30)$$

For the **neutron** we have that  $n^+ = 919$  and  $n^- = 919$  and that it is a *udd* particle. We get

$$T = N_A + N_B + N_C = n^+ + n^- = 1838 \quad (31)$$

$$u - d - d = \frac{2}{3} - \frac{1}{3} - \frac{1}{3} = 0 \quad (32)$$

For the  $\Sigma^+$  **particle** we have that  $n^+ = 1164$  and  $n^- = 1163$  and that it is an *uus* particle.

$$T = N_A + N_B + N_C = n^+ + n^- = 2327 \quad (33)$$

$$u + u + s = \frac{2}{3} + \frac{2}{3} - \frac{1}{3} = 1 \quad (34)$$

The distribution of electrons and positrons on the different quarks must not be necessarily static.

**Conclusion:** The  $Q$  values for the electric charge at quarks refer to the relative charge of the quarks. There is no need to introduce fractional charges which were never directly measured. All charges are integer multiples of the charge of an electron, which constitutes the unit of the charge.

**Note:** No strong forces or gluons are necessary to hold quarks together, because for the distance tending to zero electrons and positrons neither attract nor repel each other. The distribution of electrons and positrons on the quarks is not a constant. The

number  $N_i$  of the  $u$  quarks of one hadron may be different because  $u$  gives only the relative charge of a quark.

## 6 Positronium, Charmonium and Bottonium

**Positronium** is a bound state of an electron and a positron. For the approximation to the spectrum of the positronium the Coulomb interaction is used, what means, that the electron must move in the external zone 5 of the potential well of Fig. 4 and the positron at the central zone 0. This behaviour is characteristic for the hydrogen atom where the mass of the nucleus is much bigger than the mass of the electron and its movement can be neglected. This is not the case for the positronium where the masses of the electron and positron are equal and they move around a mass centre which is equidistant to them. The movement of the positronium must be located in the zones 0 and 1 of Fig. 4. In these zones the force is proportional to  $d^2$ , what gives a potential energy proportional to  $|d^3|$  for the Schroedinger equation.

The **Charmonium** and **Bottonium** are bound states of two quarks at the distance of  $fm$  where the force between them is also given by the zones 0 and 1 of Fig. 4. In these zones the force is proportional to  $d^2$ , what gives a potential energy proportional to  $|d^3|$  for the Schroedinger. As the two bound quarks can have different masses, the centre of mass is not necessarily equidistant to the quarks.

## 7 Conclusions.

The present work is based on findings of the model “Emission & Regeneration” Unified Field Theory. The model represents subatomic particles as focal points of rays of Fundamental Particles (FPs) that move from infinite to infinite. FPs are emitted by the focal point and at the same time regenerate it. Interactions between subatomic particles are the product of the interactions of the angular momenta of the FPs. The interaction between two charged subatomic particles tend to zero for the distance between them tending to zero, allowing to place the zero of the potential energy at the distance zero between the particles. Atomic nuclei can thus be represented as swarms of electrons and positrons that neither attract nor repel each other. As atomic nuclei are composed of nucleons which are composed of quarks, the quarks can also be seen as swarms of electrons and positrons. This allows a completely new interpretation of the interactions between quarks and the corresponding energy states. No strong forces or gluons are necessary to hold quarks together, because for the distance tending to zero electrons and positrons neither attract nor repel each other.

The  $Q$  values for the electric charge at quarks refer to the relative charge of the

quarks. There is no need to introduce fractional charges which were never directly measured. All charges are integer multiples of the charge of an electron, which constitutes the unit of the charge.

The potential energies used for the calculations of the spectra of the positronium, charmonium and bottonium must be proportional to  $|d^3|$ , where  $d$  is the distance between the two bound particles.

## 8 Bibliography.

**Note:** The present work is based on a completely new approach for the representation of subatomic particles and correspondingly no reference papers exist.

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